

Pemanfaatan  
DroidCamp  
Terintegrasi Gmeet  
untuk Pembelajaran  
Daring Fisika dan  
Matematika

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JOKO PURWANTO, M.SC

# Pembelajaran Fisika dan Matematika di Masa Pandemi Covid-19

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## Metode mengajar guru fisika dan matematika selama massa pandemi Covid-19

1. Guru mengajar dengan cara **tatap muka virtual** melalui *video conference* menggunakan **Google Meet, Zoom, atau skype, teleconference.**
2. Guru mengajar dengan cara **diskusi dalam group media sosial** atau aplikasi pesan semisal Whatsapp group (WAG).
3. Guru mengajar **menggunakan Learning Management System (LMS)**, yaitu sistem pengelolaan pembelajaran terintegrasi secara daring melalui aplikasi. Contoh guru membuat kelas maya **rumah belajar, google classroom, ruang guru, zenius, edmodo, moodle, siajar LMS seamolec,** dan lain sebagainya.

# Pembelajaran Fisika dan Matematika Dalam Jaringan (DARING)



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- ✓ Sebagai guru fisika dan matematika, saat mengajar daring baik dari rumah atau sekolah, salah satu **senjata utamanya adalah webcam**. Peralatnya, webcam digunakan saat pembelajaran daring menggunakan Zoom atau Google Meet.
  - ✓ Mengajar **fisika dan matematika kok tanpa corat-coret**, tanpa perhitungan langsung, tanpa penurunan persamaan, tanpa menggambar grafik atau ilustrasi yang mendukung **ibarat sayur tanpa garam, hambar**.
  - ✓ **Guru melakukan corat-coret, penurunan persamaan secara langsung, menggambar grafik atau ilustrasi yang mendukung materi** kemudian terjadi **interaksi antara guru-siswa** (baik diskusi atau pun tanya jawab) **sangat penting dalam pembelajaran fisika dan matematika untuk memberikan ‘ruh’ atau ‘rasa’ pada proses pembelajaran yang berlangsung serta untuk menginspirasi siswa.**



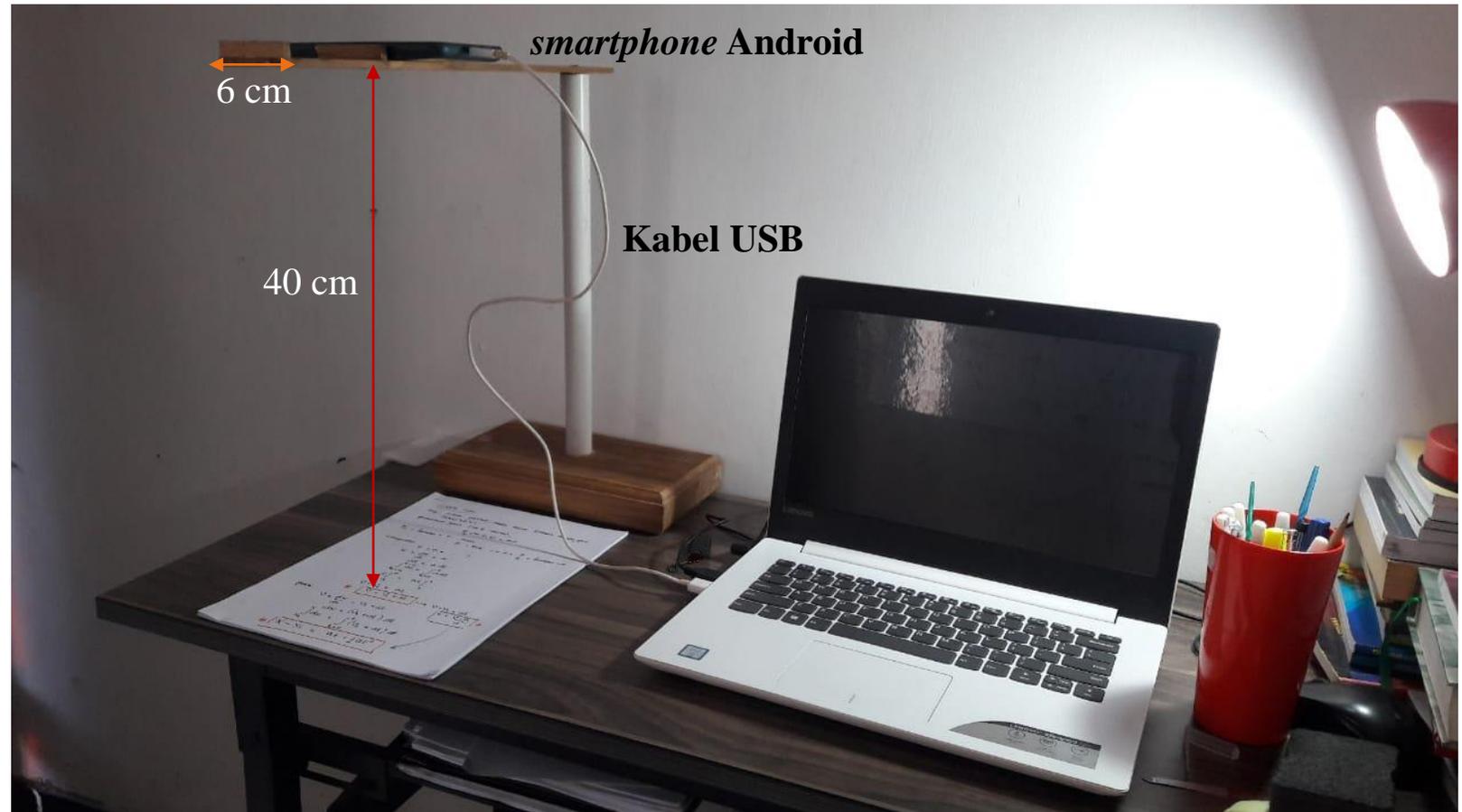
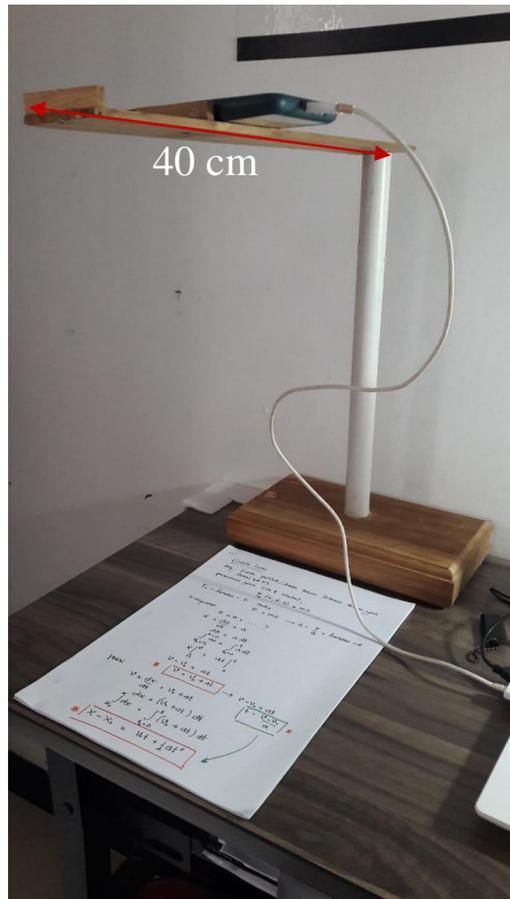
# DroidCam terintegrasi Google Meet (GMeet) untuk Pembelajaran DARING

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Dalam webinar hari ini kami ingin sharing penggunaan software aplikasi **DroidCam** terintegrasi **Google Meet (GMeet)** atau **Zoom** untuk meningkatkan kualitas pembelajaran fisika dan matematika secara daring.

**DroidCam** adalah aplikasi yang memanfaatkan kamera *smartphone* Android sebagai kamera PC atau Laptop. Karena memanfaatkan *smartphone* Android sebagai kamera tentu saja lebih mudah untuk menseting posisi kamera sesuai dengan kebutuhan pembelajaran. **DroidCam** bisa dihubungkan secara *wireless* dengan koneksi *wifi* atau dihubungkan dengan menggunakan kabel data USB.

# DroidCam terintegrasi Google Meet (GMeet) atau Zoom





Joko Purwanto is presenting

S Silva shurayya and 14 more

00:39:36

You

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which is usually written as

$$\nabla \cdot \mathbf{A} = \frac{1}{\rho} \frac{\partial}{\partial \rho} (\rho A_\rho) + \frac{1}{\rho} \frac{\partial A_\varphi}{\partial \varphi} + \frac{\partial A_z}{\partial z} \quad (1-87)$$

In the same manner, the expression for the curl becomes

$$\nabla \times \mathbf{A} = \hat{\rho} \left( \frac{1}{\rho} \frac{\partial A_z}{\partial \varphi} - \frac{\partial A_\varphi}{\partial z} \right) + \hat{\varphi} \left( \frac{\partial A_\rho}{\partial z} - \frac{\partial A_z}{\partial \rho} \right) + \hat{z} \left[ \frac{1}{\rho} \frac{\partial}{\partial \rho} (\rho A_\varphi) - \frac{1}{\rho} \frac{\partial A_\rho}{\partial \varphi} \right] \quad (1-88)$$

while  $\nabla \cdot \nabla u$  turns out to be

$$\nabla^2 u = \frac{1}{\rho} \frac{\partial}{\partial \rho} \left( \rho \frac{\partial u}{\partial \rho} \right) + \frac{1}{\rho^2} \frac{\partial^2 u}{\partial \varphi^2} + \frac{\partial^2 u}{\partial z^2} \quad (1-89)$$

where  $u$  is a scalar function of position.

It is very important to remember that (1-86), (1-87), (1-88), and (1-89) cannot be obtained from the corresponding expressions in rectangular coordinates as given by (1-41), (1-42), (1-43), and (1-46) by the simple replacement of  $x, y, z$  by  $\rho, \varphi, z$ . Similarly, (1-44) and (1-47) can only be used for rectangular coordinates; see (1-48) for the definition of  $\nabla^2 \mathbf{A}$  for other coordinate systems. You would be surprised at how often these mistakes are made.

**1-17 SPHERICAL COORDINATES**

In this system, the location of a point  $P$  is specified by the three quantities  $r, \theta, \varphi$  shown in Figure 1-39. We see that  $r$  is the distance from the origin and thus the magnitude of the position vector  $\mathbf{r}$ ,  $\theta$  is the angle made by  $\mathbf{r}$  with the positive  $z$  axis, while  $\varphi$  is again the angle made with the positive  $x$  axis by the projection of  $\mathbf{r}$  onto the  $xy$  plane. The relations between the rectangular and spherical coordinates are seen to be

$$x = r \sin \theta \cos \varphi \quad y = r \sin \theta \sin \varphi \quad z = r \cos \theta \quad (1-90)$$

so that

$$r = (x^2 + y^2 + z^2)^{1/2} \quad \tan \theta = \frac{(x^2 + y^2)^{1/2}}{z} \quad \tan \varphi = \frac{y}{x} \quad (1-91)$$

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$$\nabla \cdot \nabla u = \left( \frac{\partial}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial}{\partial \varphi} \hat{e}_\varphi + \frac{\partial}{\partial z} \hat{e}_z \right) \cdot \left( \frac{\partial u}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial u}{\partial \varphi} \hat{e}_\varphi + \frac{\partial u}{\partial z} \hat{e}_z \right)$$

$$= \hat{e}_\rho \cdot \frac{\partial}{\partial \rho} \left( \frac{\partial u}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial u}{\partial \varphi} \hat{e}_\varphi + \frac{\partial u}{\partial z} \hat{e}_z \right) + \hat{e}_\varphi \cdot \frac{1}{\rho} \frac{\partial}{\partial \varphi} \left( \frac{\partial u}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial u}{\partial \varphi} \hat{e}_\varphi + \frac{\partial u}{\partial z} \hat{e}_z \right) + \hat{e}_z \cdot \left( \frac{\partial u}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial u}{\partial \varphi} \hat{e}_\varphi + \frac{\partial u}{\partial z} \hat{e}_z \right)$$

You

Joko Purwanto

Siti Julaiha

BAGUS ABDURRAH...

K

Kamelia Hasna

Annisa Aulia Kurbah

Indah Permata S

AHMAD FITRIADI

Meeting details ^

Turn on captions

Joko Purwanto is presenting

bxp-rsq-fva

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We define a set of mutually perpendicular unit vectors  $\hat{r}, \hat{\theta},$  and  $\hat{\phi}$  in the sense of increasing  $r, \theta,$  and  $\phi,$  respectively, as shown in Figure 1-39. Note that as the location of  $P$  is changed, all three of these vectors also change.

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Handwritten notes on a whiteboard:

Curl / Rotasi blm sk Silinder  $\nabla \times \mathbf{A}$

$$\nabla \times \mathbf{A} = \left( \frac{\partial}{\partial \rho} \hat{e}_r + \frac{1}{\rho} \frac{\partial}{\partial \phi} \hat{e}_\phi + \frac{\partial}{\partial z} \hat{e}_z \right) \times (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z)$$

$$= \hat{e}_\rho \times \frac{\partial}{\partial \rho} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) + \hat{e}_\phi \times \frac{1}{\rho} \frac{\partial}{\partial \phi} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) + \hat{e}_z \times \frac{\partial}{\partial z} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z)$$

$$= \hat{e}_\rho \times \left\{ \frac{\partial A_\rho}{\partial \rho} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial \rho} + \frac{\partial A_\phi}{\partial \rho} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial \rho} + \frac{\partial A_z}{\partial \rho} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial \rho} \right\}$$

$$+ \hat{e}_\phi \times \left\{ \frac{\partial A_\rho}{\partial \phi} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial \phi} + \frac{\partial A_\phi}{\partial \phi} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial \phi} + \frac{\partial A_z}{\partial \phi} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial \phi} \right\}$$

$$+ \hat{e}_z \times \left\{ \frac{\partial A_\rho}{\partial z} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial z} + \frac{\partial A_\phi}{\partial z} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial z} + \frac{\partial A_z}{\partial z} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial z} \right\}$$

Meeting controls:

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- Joko
- A
- 18 others

Joko Purwanto

Meeting controls:

- Call
- Share Screen
- Mute
- More



# DroidCam terintegrasi Google Meet (GMeet) atau Zoom

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Langkah-langkah instalasi DroidCam terintegrasi Google Meet atau Zoom

1. Install Aplikasi DroidCam di PC atau Laptop

Unduh aplikasi DroidCam untuk windows di sini <https://www.dev47apps.com/DroidCam/windows/>

2. Install Aplikasi DroidCam di *smartphone* Android

Unduh aplikasi DroidCam dari Google Playstore atau Apple Store kemudian install

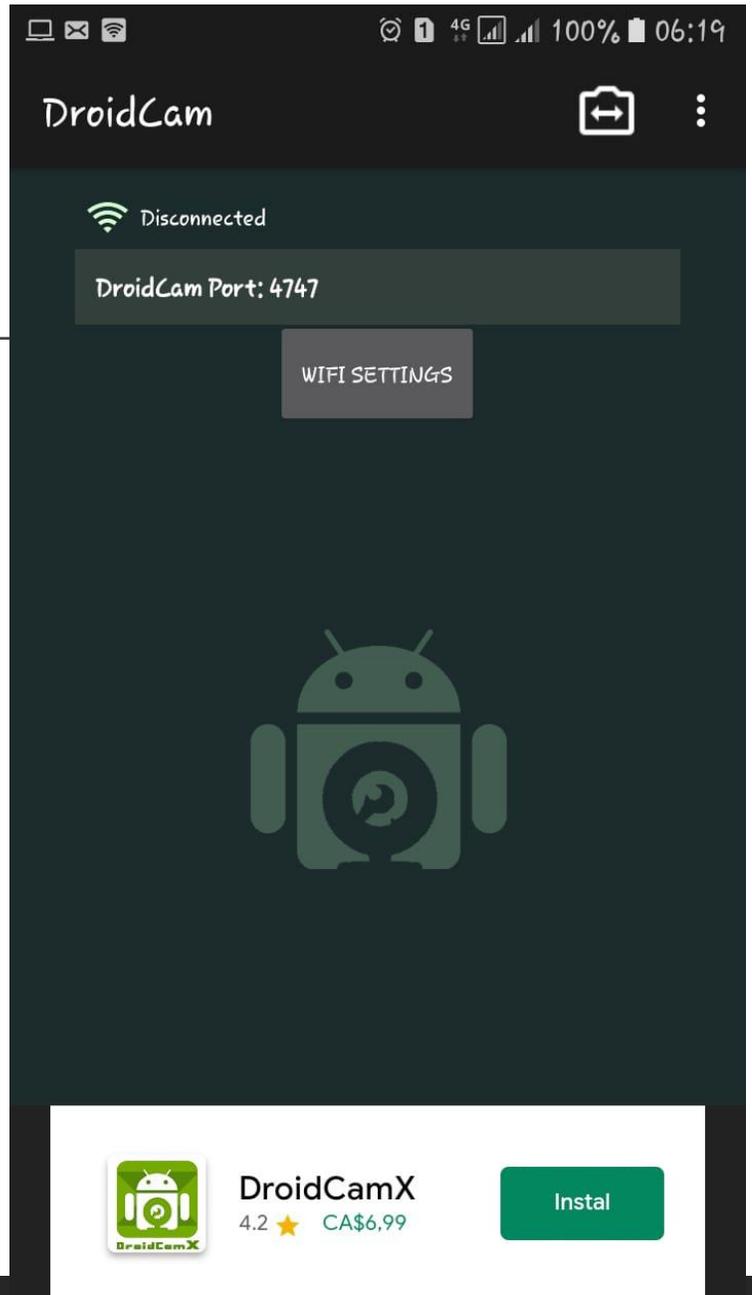
3. Aktifkan Mode Developer (Mode Pengembang) atau Developer Option pada *smartphone* Android

4. Aktifkan USB debugging pada Mode Pengembang tersebut.

**Lebih lengkap bisa dilihat di video berikut:** [https://www.youtube.com/watch?v=b-gO30K6\\_i0](https://www.youtube.com/watch?v=b-gO30K6_i0)

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# Aktifkan DroidCam pada smartphone Android

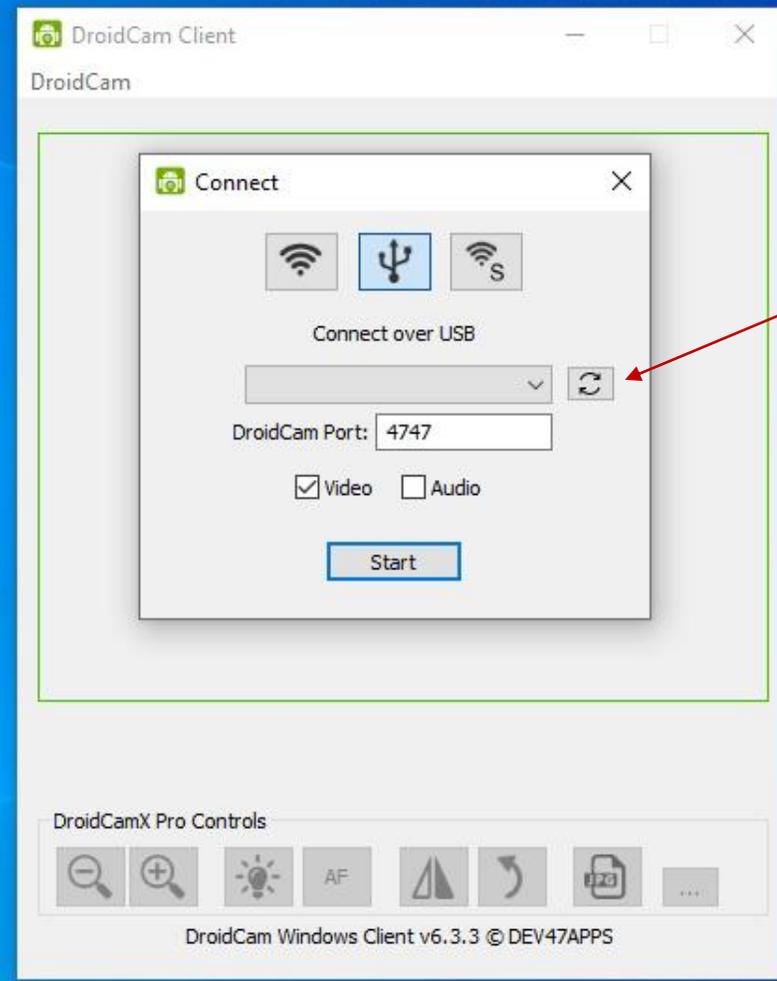


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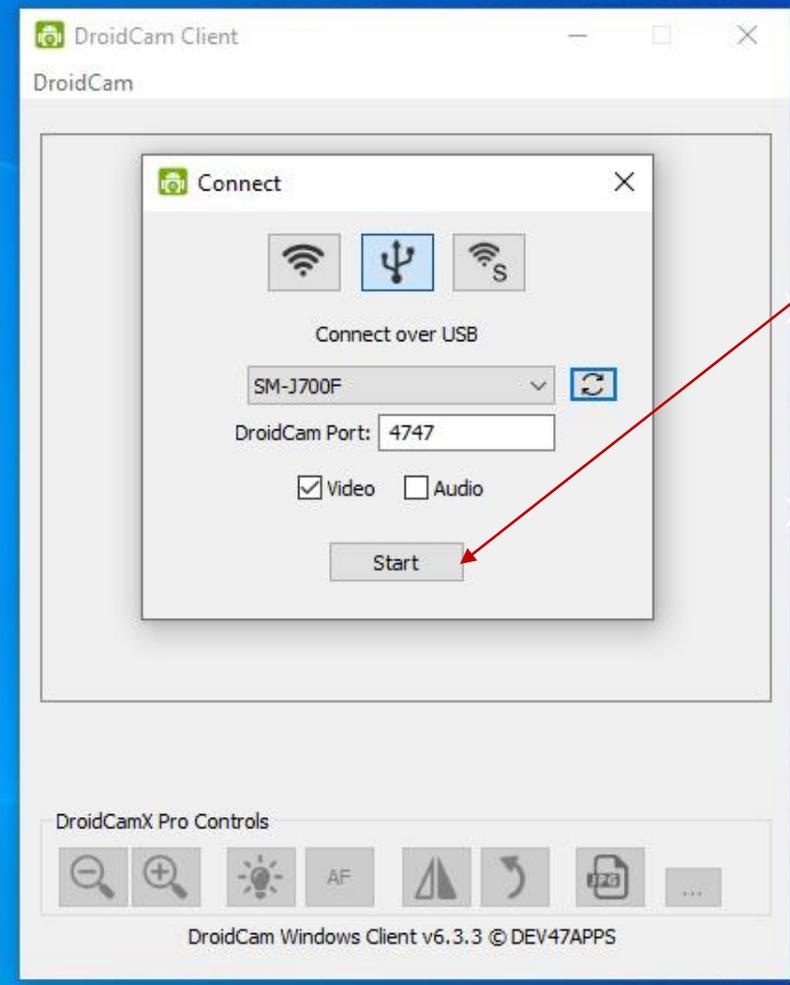
Aktifkan DroidCam  
pada Laptop atau PC



Akan muncul ikon ini jika DroidCam sudah diinstall pada PC atau Laptop



Klik untuk menghubungkan dengan smartphone Android yg sdh terinstall DroidCam



Klik 'Start' untuk mulai menghubungkan dengan smartphone Centang 'Audio' jika ingin menggunakan smartphone sebagai mikrofon



DroidCam Client

DroidCam

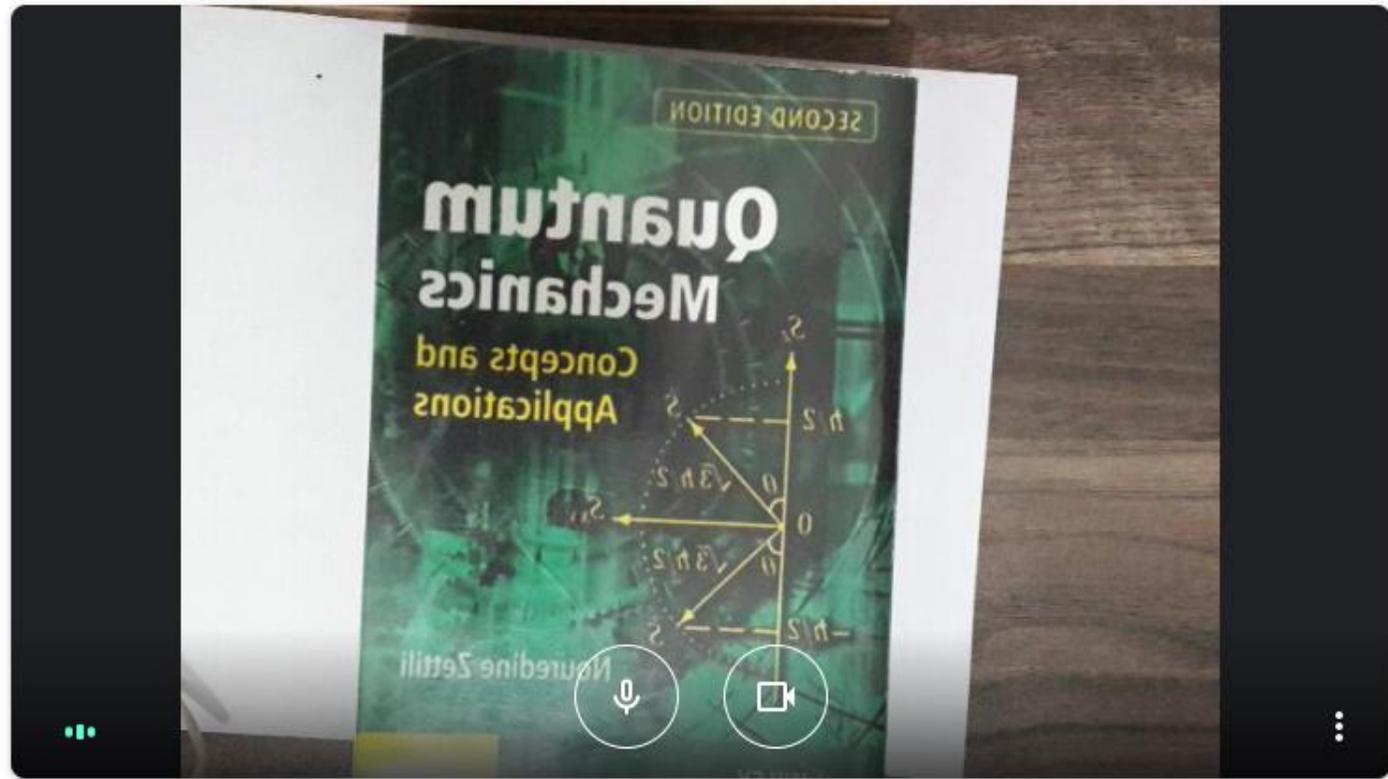


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DroidCamX Pro Controls



DroidCam Windows Client v6.3.3 © DEV47APPS



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Curl / Rotasi blm sk Silinder  $\nabla \times \mathbf{A}$

$$\begin{aligned} \nabla \times \mathbf{A} &= \left( \frac{\partial}{\partial \rho} \hat{e}_\rho + \frac{1}{\rho} \frac{\partial}{\partial \phi} \hat{e}_\phi + \frac{\partial}{\partial z} \hat{e}_z \right) \times (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) \\ &= \hat{e}_\rho \times \frac{\partial}{\partial \rho} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) + \hat{e}_\phi \times \frac{1}{\rho} \frac{\partial}{\partial \phi} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) + \hat{e}_z \times \frac{\partial}{\partial z} (A_\rho \hat{e}_\rho + A_\phi \hat{e}_\phi + A_z \hat{e}_z) \\ &= \hat{e}_\rho \times \left\{ \frac{\partial A_\rho}{\partial \rho} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial \rho} + \frac{\partial A_\phi}{\partial \rho} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial \rho} + \frac{\partial A_z}{\partial \rho} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial \rho} \right\} \\ &+ \hat{e}_\phi \times \left\{ \frac{\partial A_\rho}{\partial \phi} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial \phi} + \frac{\partial A_\phi}{\partial \phi} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial \phi} + \frac{\partial A_z}{\partial \phi} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial \phi} \right\} \\ &+ \hat{e}_z \times \left\{ \frac{\partial A_\rho}{\partial z} \hat{e}_\rho + A_\rho \frac{\partial \hat{e}_\rho}{\partial z} + \frac{\partial A_\phi}{\partial z} \hat{e}_\phi + A_\phi \frac{\partial \hat{e}_\phi}{\partial z} + \frac{\partial A_z}{\partial z} \hat{e}_z + A_z \frac{\partial \hat{e}_z}{\partial z} \right\} \end{aligned}$$

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Joko

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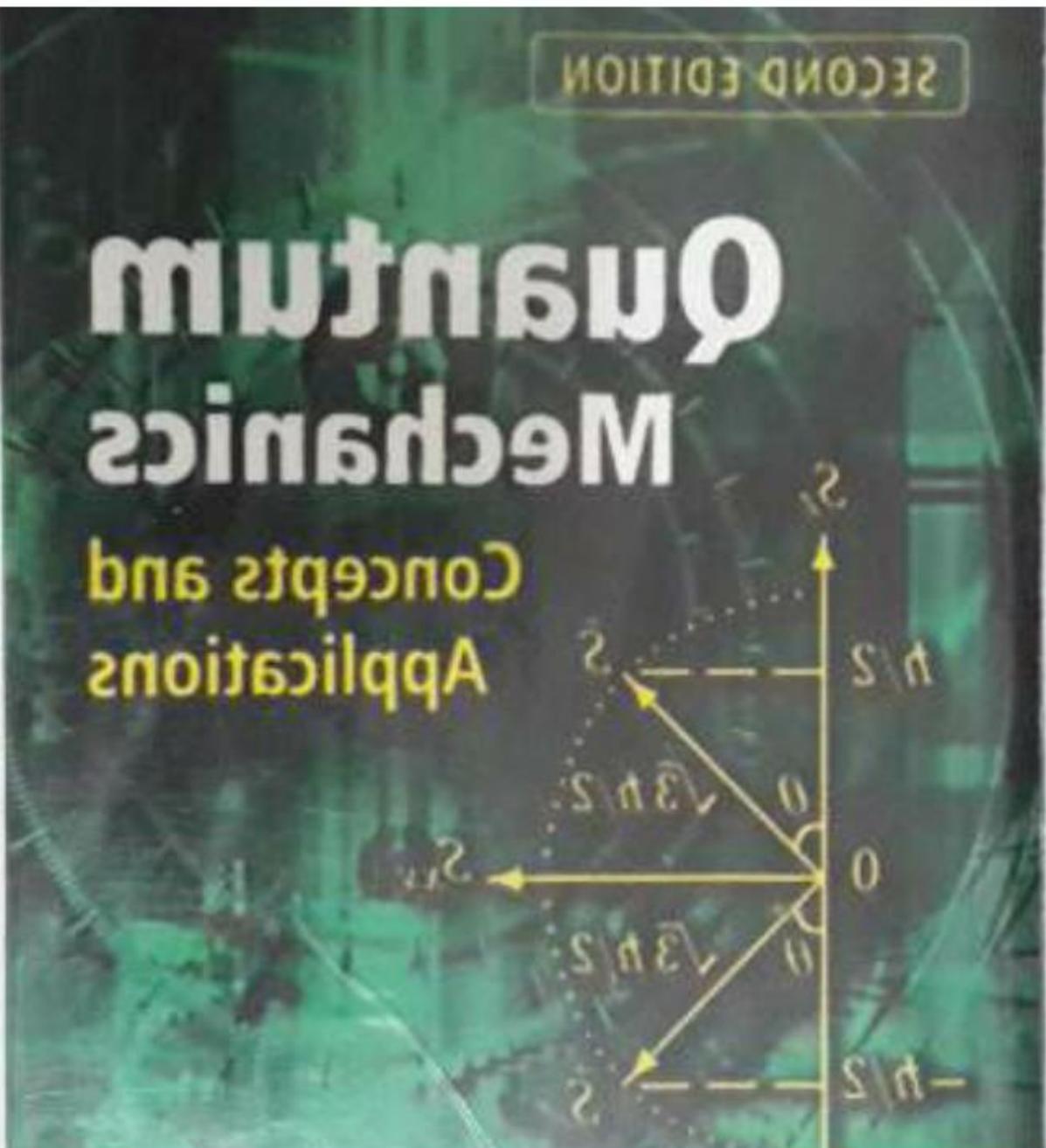
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